





(a) BPT-fWhiten

 $\mathbf{P} = \mathbf{P} \otimes \mathbf{W}^T$

Attention to the Burstiness in Visual Prompt Tuning

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Summary

Visual Prompt Tuning (VPT) is a parameter-efficient fine-tuning technique that learns a small set of parameters in the input space, known as prompts, to adapted a pretrained ViT. In VPT, we uncover a "burstiness" phenomenon and non-Gaussian distributions in the values resulting from the interaction of the key and query projectors, and patch embeddings within the self-attention module. Intuitively, these issues pose intuitive challenges for prompt learning.

We address the issues with our proposed Bilinear Prompt Tuning (BPT), which either applies *data* whitening prior to prompt tuning, or jointly learns two compact matrices and uses their product as the final prompt.

We show that our BPT significantly accelerates learning, reduces parameter count and computation, and importantly achieves the state-ofthe-art over various benchmark datasets across model scales, dataset sizes, and pre-training objectives.

Observation and Motivation $\begin{bmatrix} \mathbf{P}\mathbf{W}_{q}\mathbf{W}_{k}^{T}\mathbf{P}^{T} & \mathbf{P}\mathbf{W}_{q}\mathbf{W}_{k}^{T}\mathbf{X}^{T} \end{bmatrix}$ $\mathbf{X}\mathbf{W}_q\mathbf{W}_k^T\mathbf{P}^T$ $\mathbf{X}\mathbf{W}_q\mathbf{W}_k^T\mathbf{X}^T$ (e) VPT [30] in the attention module (d) patch embeddings X

- Burstiness phenomenon: a small portion of $\mathbf{W}_{q} \mathbf{W}_{k}^{T} \mathbf{X}^{T}$ have very large absolute values (b).
- Non-Gaussian distributions: values of $\mathbf{W}_q \mathbf{W}_k^T$ follow a hyper-Laplacian distribution (c), and values of patch embedding X follow a Laplacian distribution (d).
- We are motivated to apply whitening to $\mathbf{W}_q \mathbf{W}_k^T \mathbf{X}^T$, transforming it to be more Gaussian before prompt learning. Interestingly, this produces "bursty" prompts (f), but significantly accelerates learning, boosts accuracy (i).

Methods BPT-fWhiten BPT-tWhiten BPT-bilinear frozen frozen backbone prompt $\mathbf{A} \otimes \mathbf{B}^T$

(c) BPT-bilinear

 $\mathbf{P} = \mathbf{A} \otimes \mathbf{B}^{T}$

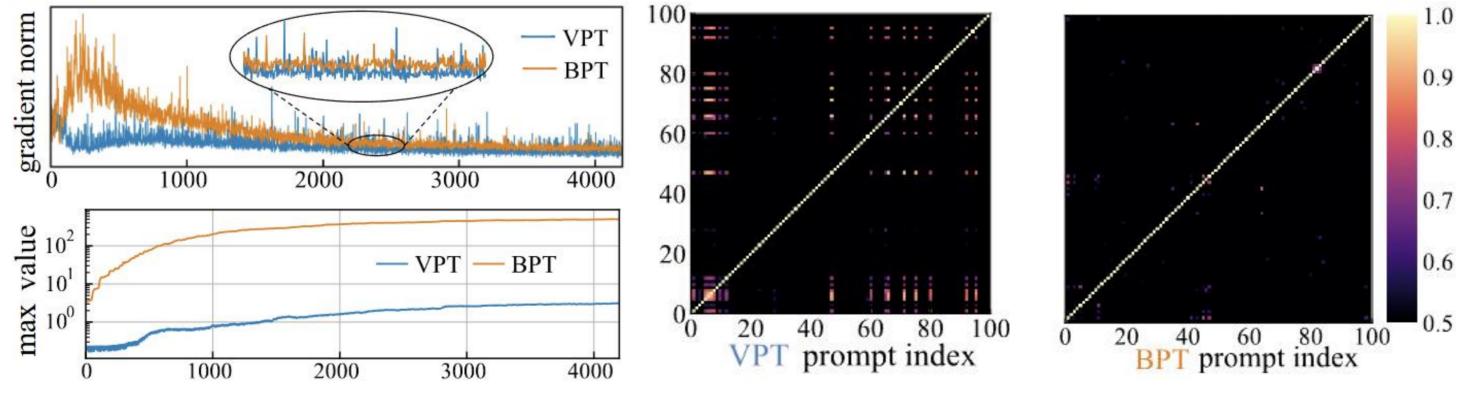
Overview. To overcome the challenges due to the burstiness and non-Gaussian distributions, we introduce Bilinear Prompt Tuning (BPT) with three approaches, which share the same bilinear form in prompt learning.

(b) BPT-tWhiten

 $P=P\otimes W$

- (a) and (b) apply data whitening W, which transforms the non-Gaussian values of $\mathbf{W}_{q}\mathbf{W}_{k}^{T}\mathbf{X}^{T}$ to be more Gaussian. Their difference lies in whether tuning **W** when learning prompts **P**.
- (c) learns two compact matrices, A and B, which are multiplied as the final prompts **P**.

Implementations: We implement the two-matrix multiplication structure in BPT with a 1x1 convolution without bias terms, where the weight is either the whitening matrix **W** or the bilinear factor **B**. The 1x1 layer does **not** adopt any normalizations or nonlinear activations. The other matrix is the prompt **P**.



Affects on optimization by BPT. We track prompts' gradients norm and max values in optimization iterations. Compared with VPT, whitening helps BPT (left) produce more stable gradients and larger values in learned prompts, (right) BPT produces more de-correlated prompts than VPT.

Experiments

> BPT vs. VPT vs. SPT

(a) Learning "bursty" prompts by our BPT methods outperforms prior arts VPT and SPT. Refer to Fig. 1 for "bursty" distributions.

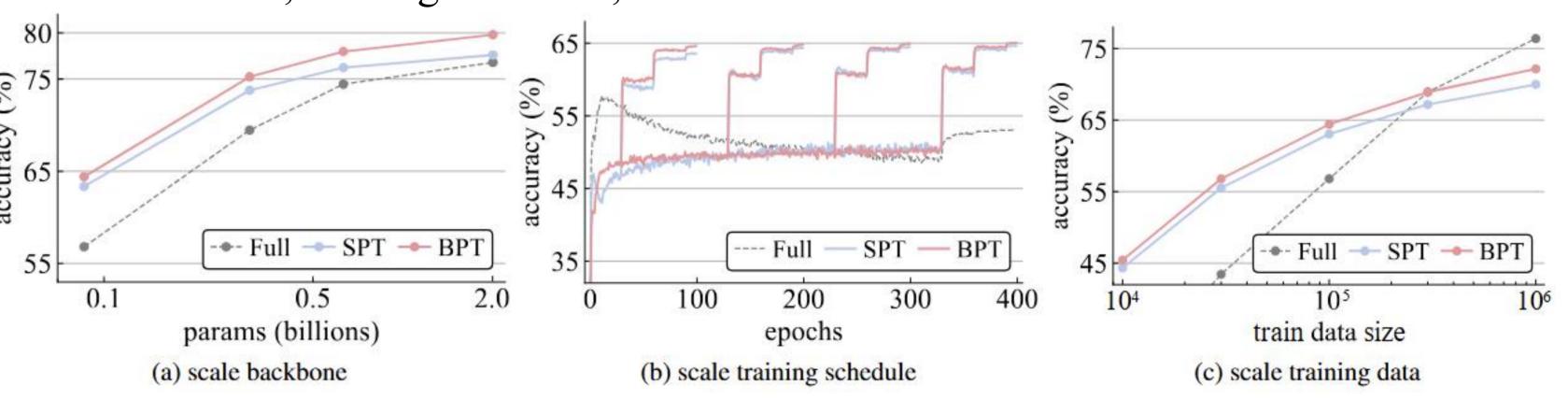
methods	init.	tuning?	#params	IN-1K	CUB-200	
VPT [30]	-	-	7.68	63.71	42.15	
SPT [68]	2	2	7.68	69.98	71.15	
BPT-fWhiten	whiten	X	7.68	72.09	77.48	
BPT-tWhiten	whiten	1	66.66	72.37	78.54	
BPT-bilinear	random	1	6.51	72.15	77.86	

(b) **Prompt length**. Increasing length

width	params	IN-1K	CUB-200
SPT [68]	7.68	69.98	71.15
25	2.17	72.06	76.54
50	4.34	72.08	76.95
75	6.51	72.15	77.86
100	8.68	72.18	78.59

compact prompts with higher accuracy

> Scale backbone, training iterations, and data



> Benchmarking results with different pre-trained models

Methods	Mean Acc	CUB	NABirds	Flowers	Dogs	Cars
	MAE	pre-tra	ining			
Full fine-tuning	82.80	80.55	77.87	91.71	80.38	83.51
VPT-S [30] ECCV'22	57.84	42.15	57.43	69.15	77.07	43.38
SPT-S [68] ICML'24	73.95	71.15	61.87	89.47	80.01	67.23
BPT-S ours	80.39	77.86	72.03	90.37	81.91	79.77
VPT-D [30] ECCV'22	72.02	68.33	65.22	80.05	78.83	67.67
GateVPT [72] ICML'23	73.39	70.56	67.26	78.55	78.90	71.70
SPT-D [68] ICML'24	83.26	80.13	76.28	93.07	82.23	84.61
BPT-D ours	84.60	82.00	78.49	93.72	82.67	86.11
	MoCo-V	/3 pre-1	training			
Full fine-tuning	84.25	81.75	78.14	94.52	81.19	85.67
VPT-S [30] ECCV'22	79.26	79.05	72.92	90.47	81.97	71.91
SPT-S [68] ICML'24	84.08	83.50	75.79	95.03	84.17	81.93
BPT-S ours	85.05	84.39	76.71	95.84	84.46	83.84
VPT-D [30] ECCV'22	83.12	82.67	75.99	94.41	83.33	79.18
GateVPT [72] ICML'23	83.00	82.86	76.02	93.71	83.37	79.02
SPT-D [68] ICML'24	86.00	84.47	77.63	96.10	85.84	85.98
BPT-D ours	86.55	85.28	78.44	96.45	86.17	86.43

Methods	AP ^{box}	AP ₇₅	AP _s box	AP ^{mask}	AP ₇₅ ^{mask}	AP_s^{mask}		
	Λ	Aask R-	CNN					
Linear probing	30.70	32.44	20.03	28.73	29.83	14.69		
VPT-Shallow [29]	33.98	36.45	20.94	31.68	33.21	14.89		
SPT-Shallow [61]	36.46	39.46	22.43	33.70	34.21	16.24		
BPT-Shallow (ours)	38.55	41.94	23.93	35.35	37.43	17.42		
VPT-Deep [29]	34.62	36.82	22.37	32.63	34.41	16.77		
SPT-Deep [61]	37.85	41.42	23.51	34.71	36.86	17.22		
BPT-Deep (ours)	39.67	43.26	24.52	36.42	38.92	17.87		
Cascade Mask R-CNN								
Linear probing	35.12	38.04	21.81	31.29	33.08	16.02		
VPT-Shallow [29]	36.78	39.63	21.10	32.63	34.99	14.93		
SPT-Shallow [61]	39.63	42.93	24.86	36.78	39.55	19.18		
BPT-Shallow (ours)	43.01	46.78	26.94	38.83	41.95	20.70		
VPT-Deep [29]	38.70	42.18	22.97	34.27	36.79	16.91		
SPT-Deep [61]	41.32	44.80	25.53	37.53	41.54	20.53		
BPT-Deep (ours)	44.97	49.42	28.10	39.69	43.17	21.36		

$\mathbf{W}_{q}\mathbf{W}_{k}^{T}$ distributions at different layers

